

# Package ‘deamer’

February 19, 2015

**Type** Package

**Title** Deconvolution density estimation with adaptive methods for a variable prone to measurement error

**Version** 1.0

**Date** 2012-07-03

**Author** Julien Stirnemann, Adeline Samson, Fabienne Comte. Contribution from Claire Lacour.

**Maintainer** j.stirnemann <j.stirnemann@gmail.com>

**Description** deamer provides deconvolution algorithms for the non-parametric estimation of the density  $f$  of an error-prone variable  $x$  with additive noise  $e$ . The model is  $y = x + e$  where the noisy variable  $y$  is observed, while  $x$  is unobserved. Estimation may be performed for i) a known density of the error ii) with an auxiliary sample of pure noise and iii) with an auxiliary sample of replicate (repeated) measurements. Estimation is performed using adaptive model selection and penalized contrasts.

**License** GPL

**Repository** CRAN

**Date/Publication** 2012-08-05 06:07:55

**NeedsCompilation** no

## R topics documented:

deamer-package . . . . .	2
deamer-class . . . . .	3
deamerKE . . . . .	7
deamerRO . . . . .	9
deamerSE . . . . .	12
laplace . . . . .	14
mise . . . . .	15

<b>Index</b>	<b>16</b>
--------------	-----------

---

deamer-package	<i>Non-parametric deconvolution density estimation of variables prone to measurement-error.</i>
----------------	---

---

## Description

The deamer package provides routines for non-parametric estimation of the density  $f$  of a variable with additive noise  $e$ . The general error model is  $y = x + e$ , where  $y$  is the noisy observation,  $x$  is the unobserved variable and  $e$  is a measurement error.

Technically, the estimation is performed using penalized deconvolution contrasts and data-driven adaptive model-selection. The estimator is projected on an orthonormal sinus cardinal basis using Fast Fourier Transform for efficiency.

This technical framework is implemented for three situations depending on the available information or data regarding the noise  $e$ . It is assumed in all cases that the noise is homoscedastic and that its characteristic function never vanishes.

Each situation is encapsulated in a specific function:

1. [deamerKE](#) for estimation with known error density. The density of the error is assumed Gaussian or Laplace with a known mean and standard deviation (Gaussian) or scale parameter (Laplace).
2. [deamerSE](#) for estimation with an auxiliary sample of errors. This situation arises when the density of  $e$  is unknown, but an auxiliary sample of independent and identically distributed pure errors is available. Examples of such situations are found in engineering for example, when errors can be freely generated by a controlled system (like a measuring device).
3. [deamerR0](#) for estimation with an auxiliary sample of replicate observations (see [deamerR0](#) for a formal definition of replicate observations). Here, the density of the noise is specifically assumed symmetric around zero. This situation is likely to arise in biological and medical research, when pure errors cannot be observed but replicate (or repeated) noisy observations can be achieved in a sample of individuals.

Each of these functions will produce an object of class `deamer` for which generic methods exist. Alternatively, estimation can also be conducted using the default function `deamer` for users familiar with all three situations by specifying an argument `'method'` and the appropriate arguments (see [deamer-class](#) and the example within).

It is worth mentioning that unlike any other deconvolution procedure, `deamer` does not require an estimation of a "bandwidth" parameter prior to density estimation, thus making the usage much easier. Furthermore, `deamerKE` and `deamerSE` directly handle non-centered noise.

However, none of the `deamer` functions are implemented for heteroscedastic errors.

## Details

Package: deamer  
Type: Package  
Version: 1.0  
Date: 2012-06-29  
License: GPL

**Author(s)**

Julien Stirnemann, Adeline Samson, Fabienne Comte with contribution from Claire Lacour.

Maintainer: Julien Stirnemann <j.stirnemann@gmail.com>

**References**

*Stirnemann JJ, Comte F, Samson A. Density estimation of a biomedical variable subject to measurement error using an auxiliary set of replicate observations. Statistics in medicine. 2012 May 17 [Epub ahead of print]*

*Comte F, Lacour C. Data-driven density estimation in the presence of additive noise with unknown distribution. Journal of the Royal Statistical Society: Series B (Statistical Methodology). 2011 Sep 1;73(4):601-27.*

*Comte F, Rozenholc Y, Taupin M-L. Penalized Contrast Estimator for Adaptive Density Deconvolution. The Canadian Journal of Statistics / La Revue Canadienne de Statistique. 2006; 34(3):431-52.*

*Comte F, Samson A, Stirnemann J. Deconvolution estimation of onset of pregnancy with replicate observations [Internet]. 2011 [cited 2011 Oct 25]. Available from: [http://hal.archives-ouvertes.fr/hal-00588235\\_v2/](http://hal.archives-ouvertes.fr/hal-00588235_v2/)*

**See Also**

[deamer-class](#), [deamerKE](#), [deamerSE](#), [deamerRO](#)

---

deamer-class

*Objects of class 'deamer'*

---

**Description**

The `deamer` class defines the objects produced by `deamer.default` or any of `deamerKE`, `deamerSE` or `deamerRO`. Objects of class `deamer` can be used in generic functions such as `plot`, `print` and `predict`.

The default function `deamer` assumes the user is familiar with all 3 methods "se", "ke" and "ro" (see [deamer](#) and details), whereas method-specific wrappers [deamerKE](#), [deamerSE](#), [deamerRO](#) are intended for those who are not.

**Usage**

```
## Default S3 method:
deamer(y, errors, replicates, mu, sigma, noise.type, method,
       grid.length, from, to, na.rm)
## S3 method for class 'deamer'
predict(object, newdata, na.rm,...)
```

**Arguments**

y	Numeric. The vector of noisy observations.
errors	Numeric. The vector of the auxiliary sample of errors. Does not need to be the same length as 'y'.
replicates	Numeric. A 2-column matrix or 2-column numeric data-frame. Contains one replicate observation in each row. The number of rows does not need to match length(y).
mu	Numeric. The (known) mean of the noise. Defaults to zero.
sigma	Numeric. The (known) standard deviation of the noise if noise.type="Gaussian" or scale if noise.type="Laplace"
noise.type	Character. Defines the type of density for the noise. Only "Gaussian" or "Laplace" are supported. Defaults to "Gaussian"
method	Character. Only one of "ke", "se", "ro". Defines the estimation method. See details.
grid.length	Numeric. Optional. The number of points of the grid the estimation is performed on. Defaults to 100.
from	Numeric. Optional. The lower bound of the grid the estimation is performed on. Defaults to min(y).
to	Numeric. Optional. The upper bound of the grid the estimation is performed on. Defaults to max(y).
na.rm	Logical. Optional. If na.rm=TRUE, NAs will be removed before estimation. Defaults to FALSE.
object	An object of class deamer
newdata	Numeric vector (possibly single valued).
...	Further arguments for generic functions

**Details**

The estimation method is chosen according to the method argument. For known density noise, method="ke" and arguments 'mu' and 'sigma' should be supplied. For estimation with an auxiliary sample of errors method="se" and argument 'errors' should be supplied. For estimation with an auxiliary sample of replicates, method="ro" and argument 'replicates' should be supplied. For further details on each of these models, see [deamer](#) and functions [deamerKE](#), [deamerSE](#) and [deamerRO](#) respectively. These functions are wrappers for deamer.default and have a more straightforward usage.

**Value**

y	The input vector.
f	The deconvolution estimate of the density of $x$ , estimated over <code>supp</code> .
n	Length of input vector.
M	Sample size of pure errors (argument 'errors' with method="se" or deamerSE) or replicate observations (argument 'replicates' with method="ro" or deamerRO). For method="ke" or deamerKE, M=NULL
method	The method of estimation. Possible values: "kegauss" for known Gaussian noise, "kelap" for known Laplace noise, "se" for sample of pure errors, "ro" for replicate noisy observations.
mu	The mean of the error density for method="ke" or deamerKE. For other methods, mu=NULL.
sigma	The standard deviation (resp. scale parameter) of the error density for method="ke" or deamerKE with Gaussian noise (resp. Laplace noise). For other methods, sigma=NULL.
supp	The grid of values used for estimation.
m	The estimated parameter for adaptive model selection.
ahat	Values of the estimated projection coefficients using Fast Fourier Transform.

Generic function `predict` yields a vector of predictions.

**Warning**

Heteroscedastic errors are not supported in any of deamerKE, deamerSE, deamerRO.

**Author(s)**

Julien Stirnemann <j.stirnemann@gmail.com>

**References**

*Stirnemann JJ, Comte F, Samson A. Density estimation of a biomedical variable subject to measurement error using an auxiliary set of replicate observations. Statistics in medicine. 2012 May 17 [Epub ahead of print]*

*Comte F, Lacour C. Data-driven density estimation in the presence of additive noise with unknown distribution. Journal of the Royal Statistical Society: Series B (Statistical Methodology). 2011 Sep 1;73(4):601-27.*

*Comte F, Rozenholc Y, Taupin M-L. Penalized Contrast Estimator for Adaptive Density Deconvolution. The Canadian Journal of Statistics / La Revue Canadienne de Statistique. 2006; 34(3):431-52.*

*Comte F, Samson A, Stirnemann J. Deconvolution estimation of onset of pregnancy with replicate observations [Internet]. 2011 [cited 2011 Oct 25]. Available from: [http://hal.archives-ouvertes.fr/hal-00588235\\_v2/](http://hal.archives-ouvertes.fr/hal-00588235_v2/)*

**See Also**

[deamer](#), [deamerKE](#), [deamerRO](#), [deamerSE](#)

**Examples**

#this example based on simulated data presents each method implemented in deamer.  
 #the deamer function is presented but the wrappers deamerKE, deamerRO  
 #and deamerSE would yield the same results.

```
set.seed(12345)
n=1000; M=500
rff=function(x){
  u=rbinom(x, 1, 0.5)
  X=u*rnorm(x, -2, 1)+(1-u)*rnorm(x,2,1)
  return(X)
}
x <- rff(n) #a mixed gaussian distribution

# true density function:
f.true=function(x) (0.5/(sqrt(2*pi)))*(exp(-0.5*(x+2)^2) + exp(-0.5*(x-2)^2))

e <- rlaplace(n, 0, 0.5) # laplace noise
y <- x + e # observations with additive noise

eps <- rlaplace(M, 0, 0.5) # a sample of pure errors for method="se"
# a 2-column matrix of replicate noisy observations for method="ro"
rep <- matrix(rep(rff(M),each=2)+rlaplace(2*M,0,0.5), byrow=TRUE, ncol=2)

#estimation with known error
# the same as deamerKE(y, noise.type="laplace", sigma=0.5)
est.ke <- deamer(y, noise.type="laplace", sigma=0.5, method="ke")
#will generate a warning since we are assuming mu=0
est.ke

#estimation with an auxiliary sample of errors
# the same as deamerSE(y, errors=eps)
est.se <- deamer(y, errors=eps, method="se")
est.se

#estimation with replicate noisy observations
# the same as deamerRO(y, replicates=rep)
est.ro <- deamer(y, replicates=rep, method="ro")
est.ro

curve(f.true(x), from=-6, to=6,lwd=2, lty=2)
lines(est.ke, lwd=1, col="green3")
lines(est.se, lwd=1, col="blue2")
lines(est.ro, lwd=1, col="orange")
legend("topright", lty=c(2,1,1,1), col=c("black", "green3", "blue2","orange"),
      legend=c("true density", "method='ke'", "method='se'", "method='ro'"),
      bty='n')
```

```
#compare predictions for each method for newx
newx=c(-2,0,2)
rbind(
  predict(est.ke, newdata=newx),
  predict(est.se, newdata=newx),
  predict(est.ro, newdata=newx)
) -> preds
dimnames(preds)<-list(c("ke","se","ro"),newx)
#predictions are made at newdata
preds
```

deamerKE

*Density estimation with known error density***Description**

deamerKE performs a deconvolution estimation of the density of a noisy variable ('y') under the hypothesis of a known density of the noise ("KE" for "known error"). deamerKE allows to choose between a Gaussian or a Laplace density for the noise. The standard deviation of the noise (resp. the scale parameter) is required. By default, deamerKE will consider the noise centered around zero.

**Usage**

```
deamerKE(y, mu, sigma, noise.type, grid.length = 100, from, to, na.rm = FALSE)
```

**Arguments**

y	Numeric. The vector of noisy observations
mu	Numeric. The (known) mean of the noise. Defaults to zero.
sigma	Numeric. The (known) standard deviation of the noise if noise.type="Gaussian" or scale if noise.type="Laplace"
noise.type	Character. Defines the type of density for the noise. Only "Gaussian" or "Laplace" are supported. Defaults to "Gaussian"
grid.length	Numeric. Optional. The number of points of the grid the estimation is performed on. Defaults to 100.
from	Numeric. Optional. The lower bound of the grid the estimation is performed on. Defaults to min(y).
to	Numeric. Optional. The upper bound of the grid the estimation is performed on. Defaults to max(y).
na.rm	Logical. Optional. If na.rm=TRUE, NAs will be removed before estimation. Defaults to FALSE.

**Details**

The model is  $y = x + e$  where  $x$  has an unknown density  $f$  and  $e$  is a symmetric variable around  $\mu$  (either Laplace or Gaussian). Therefore, deamerKE can directly handle non-centered noise by specifying  $\mu$ .

The Gaussian mean and standard deviation have the general meaning. The Laplace density function is parameterized as:

$$\frac{1}{2\sigma} \exp\left(-\frac{|x - \mu|}{\sigma}\right)$$

**Value**

An object of class 'deamer'

**Warning**

deamerKE is not implemented for heteroscedastic errors.

**Author(s)**

Julien Stirnemann <j.stirnemann@gmail.com>

**References**

Comte F, Rozenholc Y, Taupin M-L. Penalized Contrast Estimator for Adaptive Density Deconvolution. *The Canadian Journal of Statistics / La Revue Canadienne de Statistique*. 2006; 34(3):431-52.

**See Also**

[deamer](#), [deamerR0](#), [deamerSE](#), [deamer-class](#)

**Examples**

```
#####
#EXAMPLE 1: known error, Laplacian

set.seed(12345)
n=1000
rff=function(x){
  u=rbinom(x, 1, 0.5)
  X=u*rnorm(x, -2, 1)+(1-u)*rnorm(x,2,1)
  return(X)
}
x <- rff(n) #a mixed gaussian distribution

# true density function:
f.true=function(x) (0.5/(sqrt(2*pi)))*(exp(-0.5*(x+2)^2) + exp(-0.5*(x-2)^2))

e <- rlaplace(n, 0, 0.5)
y <- x + e
```



```

est <- deamerKE(y, noise.type="laplace", sigma=0.5)
est

curve(f.true(x), -6, 6, lwd=2, lty=3)
lines(est, lwd=2)
lines(density(y), lwd=2, lty=4)
legend("topleft", bty="n", lty=c(1,3,4), lwd=2, legend=c("deamerKE", "true density",
"kernel density\nof noisy obs.))

#####
#EXAMPLE 2: known error, Laplacian and non-centered

set.seed(12345)
n=1000
rff=function(x){
  u=rbinom(x, 1, 0.5)
  X=u*rnorm(x, -2, 1)+(1-u)*rnorm(x,2,1)
  return(X)
}
x <- rff(n) #a mixed gaussian distribution

# true density function:
f.true=function(x) (0.5/(sqrt(2*pi)))*(exp(-0.5*(x+2)^2) + exp(-0.5*(x-2)^2))

e <- rlaplace(n, 2, 0.5) #mean=2 and not zero!
y <- x + e

est <- deamerKE(y, noise.type="laplace", mu=2, from=-4, to=4, sigma=0.5)
est

curve(f.true(x), -6, 6, lwd=2, lty=3)
lines(est, lwd=2)
lines(density(y), lwd=2, lty=4)
legend("topleft", bty="n", lty=c(1,3,4), lwd=2, legend=c("deamerKE", "true density",
"kernel density\nof noisy obs.))

```

---

deamerRO

*Density estimation using an auxiliary sample of replicate noisy observations.*


---

## Description

deamerRO performs a deconvolution estimation of the density of a noisy variable ('y') under the hypothesis of an unknown density of the noise using an auxiliary sample of replicate observations ("RO" for "replicate observations"). Therefore deamerRO requires two samples: one with single noisy observations and another with replicate noisy observations (see details).

**Usage**

```
deamerRO(y, replicates, grid.length = 100, from, to, na.rm = FALSE)
```

**Arguments**

<code>y</code>	Numeric. The vector of noisy observations.
<code>replicates</code>	Numeric. A 2-column matrix or 2-column numeric data-frame. Contains one replicate observation in each row. The number of rows does not need to match <code>length(y)</code> .
<code>grid.length</code>	Numeric. Optional. The number of points of the grid the estimation is performed on. Defaults to 100.
<code>from</code>	Numeric. Optional. The lower bound of the grid the estimation is performed on. Defaults to <code>min(y)</code> .
<code>to</code>	Numeric. Optional. The upper bound of the grid the estimation is performed on. Defaults to <code>max(y)</code> .
<code>na.rm</code>	Logical. Optional. If <code>na.rm=TRUE</code> , NAs will be removed before estimation. Defaults to <code>FALSE</code> .

**Details**

The model is defined as  $y = x + e$ , where  $x$  and  $e$  both have unknown densities. Replicate observations are defined as

$$z_1 = x + e_1$$

$$z_2 = x + e_2$$

The main underlying hypotheses are:

1. Homoscedasticity of the errors.
2. The errors  $e_1$  and  $e_2$  are independent.
3. The samples are independent.
4. Errors are symmetric, 0-mean variables.
5. Errors  $e$ ,  $e_1$  and  $e_2$  have the same distribution.

**Value**

an object of class 'deamer'

**Warning**

- `deamerRO` is not implemented for heteroscedastic errors.
- Unlike `deamerKE` and `deamerSE`, `deamerRO` assumes the errors are centered around 0.

**Note**

`deamerRO` only allows for 2 replicates per observation for the moment (argument 'replicates' is a 2-column matrix or data-frame). Future versions should allow using more than 2.

**Author(s)**

Julien Stirnemann <j.stirnemann@gmail.com>

**References**

*Stirnemann JJ, Comte F, Samson A. Density estimation of a biomedical variable subject to measurement error using an auxiliary set of replicate observations. Statistics in medicine. 2012 May 17 [Epub ahead of print]*

*Comte F, Samson A, Stirnemann J. Deconvolution estimation of onset of pregnancy with replicate observations [Internet]. 2011 [cited 2011 Oct 25]. Available from: [http://hal.archives-ouvertes.fr/hal-00588235\\_v2/](http://hal.archives-ouvertes.fr/hal-00588235_v2/)*

**See Also**

[deamer](#), [deamerKE](#), [deamerSE](#), [deamer-class](#)

**Examples**

```
set.seed(123)
n=1000 #sample size of single noisy observations
M=500 #sample size of replicate observations

rff=function(x){
  u=rbinom(x, 1, 0.5)
  X=u*rnorm(x, -2, 1)+(1-u)*rnorm(x,2,1)
  return(X)
}
x <- rff(n) #a mixed gaussian distribution

# true density function:
f.true=function(x) (0.5/(sqrt(2*pi)))*(exp(-0.5*(x+2)^2) + exp(-0.5*(x-2)^2))

e <- rnorm(n,0,0.5)
y <- x + e

x. <- rff(M)

e1 <- rnorm(M,0,0.5)
e2 <- rnorm(M,0,0.5)
rep<-data.frame(y1=x.+e1, y2=x.+e2)

est<-deamerRO(y, replicates=rep)
est

plot(est, lwd=2)
curve(f.true(x), add=TRUE, lwd=2, lty=3)
lines(density(y), lwd=2, lty=4)
legend("topleft", bty="n", lty=c(1,3,4), lwd=2, legend=c("deamerRO", "true density",
"kernel density\nof noisy obs."))
```

deamerSE

*Density estimation using an auxiliary sample of pure errors***Description**

deamerSE performs a deconvolution estimation of the density of a noisy variable ('y') under the hypothesis of an unknown density of the noise using an auxiliary sample of pure errors ("SE" for "sample error"). Therefore, deamerSE requires two samples: one with single noisy observations and another with pure errors.

**Usage**

```
deamerSE(y, errors, grid.length = 100, from, to, na.rm = FALSE)
```

**Arguments**

y	Numeric. The vector of noisy observations.
errors	Numeric. The vector of the auxiliary sample of errors. Does not need to be the same length as 'y'.
grid.length	Numeric. Optional. The number of points of the grid the estimation is performed on. Defaults to 100.
from	Numeric. Optional. The lower bound of the grid the estimation is performed on. Defaults to $\min(y)$ .
to	Numeric. Optional. The upper bound of the grid the estimation is performed on. Defaults to $\max(y)$ .
na.rm	Logical. Optional. If na.rm=TRUE, NAs will be removed before estimation. Defaults to FALSE.

**Details**

The model is  $y = x + e$  where  $x$  and  $e$  both have unknown densities. The density of  $x$  is estimated by using an independant auxiliary sample of pure errors  $eps$  (argument 'errors') that will be used for computing the characteristic function of the noise. It is therefore essential to ensure that  $e$  and  $eps$  arise from the same distribution (generally experimentally).

deamerSE will handle non-centered errors. Therefore, the input vector for argument errors does not necessarily need to be centered before estimation.

**Value**

An object of class 'deamer'

**Warning**

deamerSE is not implemented for heteroscedastic errors.

**Author(s)**

Julien Stirnemann <j.stirnemann@gmail.com>

**References**

Comte F, Lacour C. Data-driven density estimation in the presence of additive noise with unknown distribution. *Journal of the Royal Statistical Society: Series B (Statistical Methodology)*. 2011 Sep 1;73(4):601-27.

**See Also**

[deamer](#), [deamerKE](#), [deamerRO](#), [deamer-class](#)

**Examples**

```
#####
# Example 1: centered errors
set.seed(23456)
n = 1000; M = 500
x <- rchisq(n,3)
b=0.5
e <- rlaplace(n, 0, b)
y <- x + e

eps <- rlaplace(M, 0, b)

est <- deamerSE(y, eps)
est

curve(dchisq(x, 3), 0, 12, lwd=2, lty=3)
lines(est, lwd=2)
lines(density(y), lwd=2, lty=4)
legend("topright", bty="n", lty=c(1,3,4), lwd=2, legend=c("deamerSE", "true density",
"kernel density\nof noisy obs."))

#####
# Example 2: non-centered errors
set.seed(23456)
n = 1000; M = 500
x <- rchisq(n,3)
mu=2; b=0.5
e <- rlaplace(n, mu, b)
y <- x + e

eps <- rlaplace(M, mu, b)

est <- deamerSE(y, eps, from=0, to=12)
est

curve(dchisq(x, 3), 0, 12, lwd=2, lty=3)
```

```

lines(est, lwd=2)
lines(density(y), lwd=2, lty=4)
legend("topright", bty="n", lty=c(1,3,4), lwd=2, legend=c("deamerSE", "true density",
"kernel density\nof noisy obs."))

```

laplace

*Laplace distribution***Description**

density and random generation for the Laplace distribution of mean 'mu' and scale parameter 'b'

**Usage**

```

dlaplace(x, mu=0, b=1)
rlaplace(n, mu=0, b=1)

```

**Arguments**

x	vector of quantiles.
n	number of observations.
mu	mean. Should be a single value. Defaults to 0.
b	scale. Should be a single value. Defaults to 1.

**Details**

The Laplace density function is parameterized as:

$$\frac{1}{2b} \exp\left(-\frac{|x - \mu|}{b}\right)$$

**Value**

Returns a vector of n draws from a Laplace distribution

**Author(s)**

Julien Stirnemann <j.stirnemann@gmail.com>

**Examples**

```

set.seed(1234)

n=1000
x <- rchisq(n,3)
b=0.4
e <- rlaplace(n, 0, b)
y <- x + e #noisy observations with laplace noise

```

---

mise	<i>Mean integrated squared error</i>
------	--------------------------------------

---

**Description**

Computes the mean integrated squared error between a theoretical density and an estimate given by `deamer`

**Usage**

```
mise(density, obj)
```

**Arguments**

<code>density</code>	a theoretical density. Should be a single argument function
<code>obj</code>	an object of class 'deamer'. See <code>deamer-class</code> .

**Value**

Returns the value (scalar) of the mean integrated squared error.

**Note**

This function is mainly for simulation and comparison of methods.

**Author(s)**

Julien Stirnemann <j.stirnemann@gmail.com>

**See Also**

[deamerKE](#), [deamerSE](#), [deamerRO](#), [deamer](#), [deamer-class](#)

**Examples**

```
n=1000
x <- rchisq(n, df=3)
e <- rnorm(n,0,0.1)
y <- x + e
estimate <- deamerKE(y, noise.type="gaussian", sigma=0.1)
f_th <- function(x) dchisq(x, df=3)

mise(f_th, estimate)
```

# Index

\*Topic **deconvolution**

deamer-class, 3

\*Topic **distribution**

deamer-class, 3

\*Topic **nonparametric**

deamer-class, 3

\*Topic **package**

deamer-package, 2

\*Topic **smooth**

deamer-class, 3

deamer, 3, 4, 6, 8, 11, 13, 15

deamer (deamer-package), 2

deamer-class, 3

deamer-package, 2

deamer.default (deamer-class), 3

deamerKE, 2-4, 6, 7, 11, 13, 15

deamerRO, 2-4, 6, 8, 9, 13, 15

deamerSE, 2-4, 6, 8, 11, 12, 15

dlaplace (laplace), 14

laplace, 14

mise, 15

predict.deamer (deamer-class), 3

rlaplace (laplace), 14